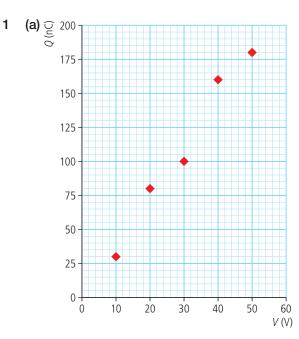
## Skills practice questions answers



half area of graph paper at least to be used; axis labels, including units; scale;

data points; ((0, 0) need not be included) [4]

(b) absolute uncertainty in Q at  $10.0V = \pm 3 \text{ nC}$ ; absolute uncertainty in Q at  $50.0V = \pm 18 \text{ nC}$ ;

Or read from graph or elsewhere in the question and do not deduct unit mark. correct placing on graph; [3]

- (c) from top of error bar at (50, 180) to bottom of error bar at (10, 30); use of at least half the line or algebraic indication; value = 4.3 or 4.3 × 10<sup>-9</sup>; [3] Watch for ECF.
- (d) CV<sup>-1</sup>; [1]

Unit might be given in (c).

(e) recognize that the gradient  $m = \frac{\varepsilon_0 A}{d}$ ; therefore  $\varepsilon_0 = \frac{dm}{d}$ ;

$$= \frac{0.51 \times 10^{-3} \times 4.3 \times 10^{-9}}{0.15};$$
  
= 1.5 × 10^{-11} CV<sup>-1</sup>m<sup>-1</sup>

 $(C^2 N^{-1} m^{-2} - data book unit or Fm^{-1});$  [4]

[Total 15 marks]

- **2** C [1]
- **3** A [1]
- 4 C [1]

- 5 C [1]
- 6 C [1]
- **7** D [1]
- 8 B [1]
- 9 C [1]
- **10 (a)** line of best fit is not straight / line of best fit does not go through origin; [1]
  - (b) smooth curve; that does not go outside the error bars; [2] *Ignore extrapolations below n = 1.*
  - (c) we can rewrite the suggested relation as log D = log c + p log n; now we can plot a graph of log D versus log n; the slope of the (straight line) graph is equal to p; [3]

Accept logs in any base.

(d) (i) absolute uncertainty in diameter D is  $\pm 0.08$  cm;

giving a relative uncertainty in  $D^2$  of

$$2 \times \frac{0.08}{1.26} = 0.13 \text{ or } 13\%;$$
 [2]

Award **[2]** if uncertainty is calculated for a different ring number.

- (ii) it is possible to draw a straight line that passes through the origin (and lies within the error bars);
- or
  - the ratio of  $\frac{D^2}{n}$  is constant for all data points; [1]
- (iii) gradient = k; calculation of gradient to give 0.23 (accept answers in range 0.21 to 0.25); evidence for drawing or working with lines of maximum and minimum slope; answers in the form  $k = 0.23 \pm 0.03$ ; [4]

Accept an uncertainty in k in range 0.02 to 0.04. First marking point does not need to be explicit.

(iv) cm<sup>2</sup>;

[1]

[Total 14 marks]