

Chapter 10 / **Example 14**

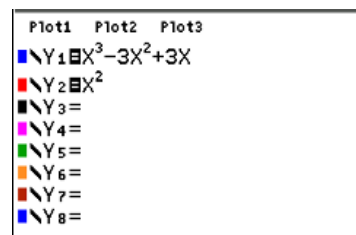
Find the area of a region bounded by curves

Find the area of the region between the curves $f(x) = x^3 - 3x^2 + 3x$ and $g(x) = x^2$.

Press $[f1]$ $[y=]$ to display the equation entry screen.

Type $x^3 - 3x^2 + 3x$ and press $[enter]$ to enter the equation as Y_1 .

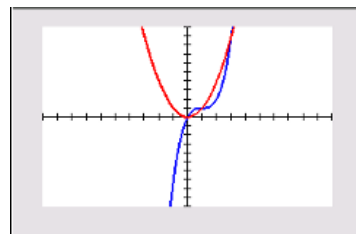
Type x^2 and press $[enter]$ to enter the equation as Y_2 .



Press $[f5]$ $[graph]$ to display the graph screen.

The GDC now displays the curves $Y_1 = x^3 - 3x^2 + 3x$ and $Y_2 = x^2$.

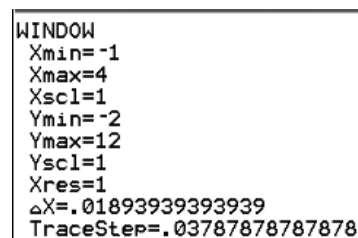
The default axes are $-10 \leq x \leq 10$ and $-10 \leq y \leq 10$.



Press $[f2]$ $[window]$.

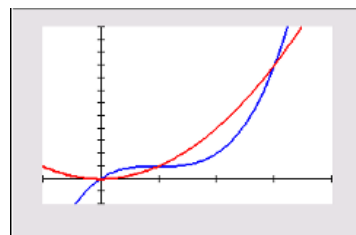
Set the axes to show $-1 \leq x \leq 4$ and $-2 \leq y \leq 12$.

Set the scales to 1.



Press $[f5]$ $[graph]$.

The GDC displays the curve $Y_1 = x^3 - 3x^2 + 3x$ and $Y_2 = x^2$ in a suitable window.

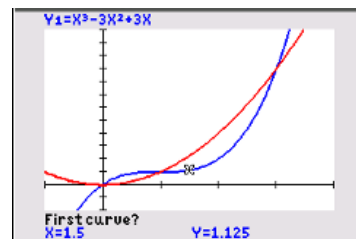


Press $[2nd]$ $[f4]$ $[calc]$ 5:intersect

To find the intersection you need to choose the two lines that intersect.

The GDC shows a cross on one of the lines and 'First curve?'.

Press $[enter]$.

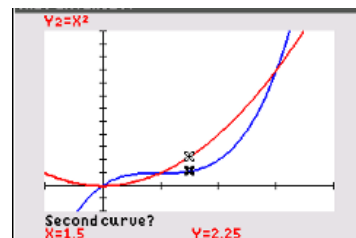


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Find the area of a region bounded by curves

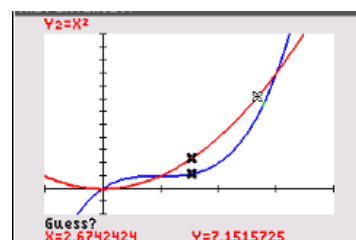
The GDC shows a cross on the other line and 'Second curve?'.

Press **enter**.

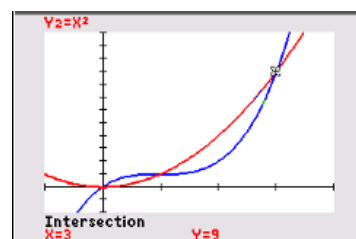


The GDC requires an initial guess for the position of the intersection. Choose a point near the right-hand intersection by pressing **◀ ▶**.

Press **enter**.

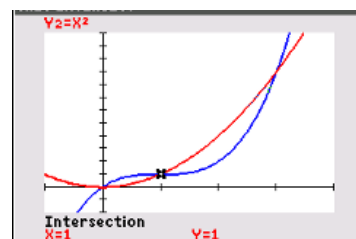


The GDC displays the intersection of the two straight lines at the point (3,9).



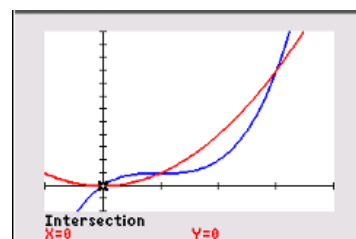
Find the second intersection by the same method.

The GDC displays the intersection of the two straight lines at the point (1,1).



Confirm the third intersection by the same method.

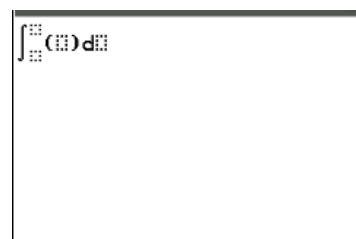
The GDC displays the intersection of the two straight lines at the point (0,0).



Press **2nd** **[quit]** to enter the home screen.

To enter the integral template press **2nd** **[f2]** **4:fnInt(** and to enter Y_1 by press **2nd** **[f4]** **1:Y1** and Y_2 by press **2nd** **[f4]** **2:Y2**

*Older models of the TI-84 that use Classic display may not have the ability to show MathPrint and will show fnInt(instead. It may be possible to change between Classic and MathPrint display using **mode**.*



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Find the area of a region bounded by curves

There are four fields to complete in the template: one for each of the limits, the function you are integrating and the variable you are integrating with respect to.

Use the \blacktriangleright \blacktriangleleft \blacktriangleup \blacktriangledown keys to navigate the template.

Enter $\int_0^1 (Y_1(x) - Y_2(x)) dx + \int_1^3 (Y_2(x) - Y_1(x)) dx$

The area is 3.0833 to 4dp.

$$\int_0^1 (Y_1(X) - Y_2(X)) dX + \int_1^3 (Y_2(X) - Y_1(X)) dX$$

3.08333333