Transformation	Description	Example	Graph
y = f(x) + a	Translate $\binom{0}{a}$	$y = x^2 - 3$ Translate $y = x^2$ 3 units down	■ Equation 1: ym ² Equation 1: ym ² Equation 1: ym ² Equation 2: ym ² -3
y = f(x - a)	Translate $\binom{a}{0}$	$y = (x - 2)^2$ Translate $y = x^2$ 2 units to the right	-6 -4 -2 2 4 6 -6 -4 -2 2 4 6 -1 -1
y = a f(x)	Vertical stretch factor <i>a</i>	y = 2sinx Stretch $y = sinx$ vertically by scale factor of 2	equation typinx E qualiton typinx E qualiton typinx E qualiton typinx
y = f(ax)	Horizontal stretch factor $\frac{1}{a}$	$y = sin\left(-\frac{x}{2}\right)$ Stretch $y = sinx$ horizontally by a scale factor -2	■ Equation 1: print Equation 2: prin

Transforming Functions



Transformation	Description	Graph
y = f(x)	any part of the function <i>f</i> below the x axis is reflected in the x axis	y= f(x) y=[f(x)]
y = f(x)	any part of the function <i>f</i> to the right of the y axis is reflected in the y axis The graph of <i>f</i> (<i>x</i>) has a line of symmetry which is the y axis.	y=f(x)
$y = \frac{1}{f(x)}$	 The graph of f and ¹/_f intersect where f(x) = ±1 x intercepts of function f become vertical asymptotes of ¹/_f Local minima/maxima of f become local maxima/minima of ¹/_f 	f(x) $f(x)$

